

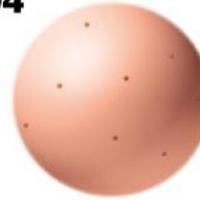
Review Models of the Atom

1803



Dalton proposes the **indivisible** unit of an element is the atom.

1904



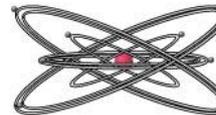
Thomson discovers electrons, believed to reside within a sphere of uniform positive charge (the “plum-pudding model”).

1911



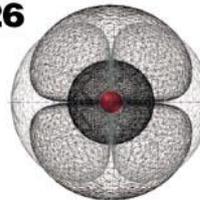
Rutherford demonstrates the existence of a positively charged nucleus that contains nearly all the mass of an atom.

1913



Bohr proposes fixed circular orbits around the nucleus for electrons.

1926



In the current model of the atom, electrons occupy regions of space (orbitals) around the nucleus determined by their energies.



Rutherford's Gold Foil Expt.

Observation

1. Most α particles pass through undeflected.
1. Some α particles are slightly deflected.
1. Few particles are reflected back (i.e. do not pass through).

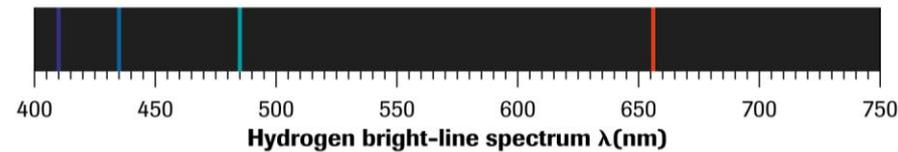
Inference

1. Atom is mostly empty space.
2. Positively charged part of atom must be small.
3. Core of atom is very small, dense and positively charged.

Bohr Model and Emission Line Spectra of Hydrogen

Observation

- 4 distinct bands of colour



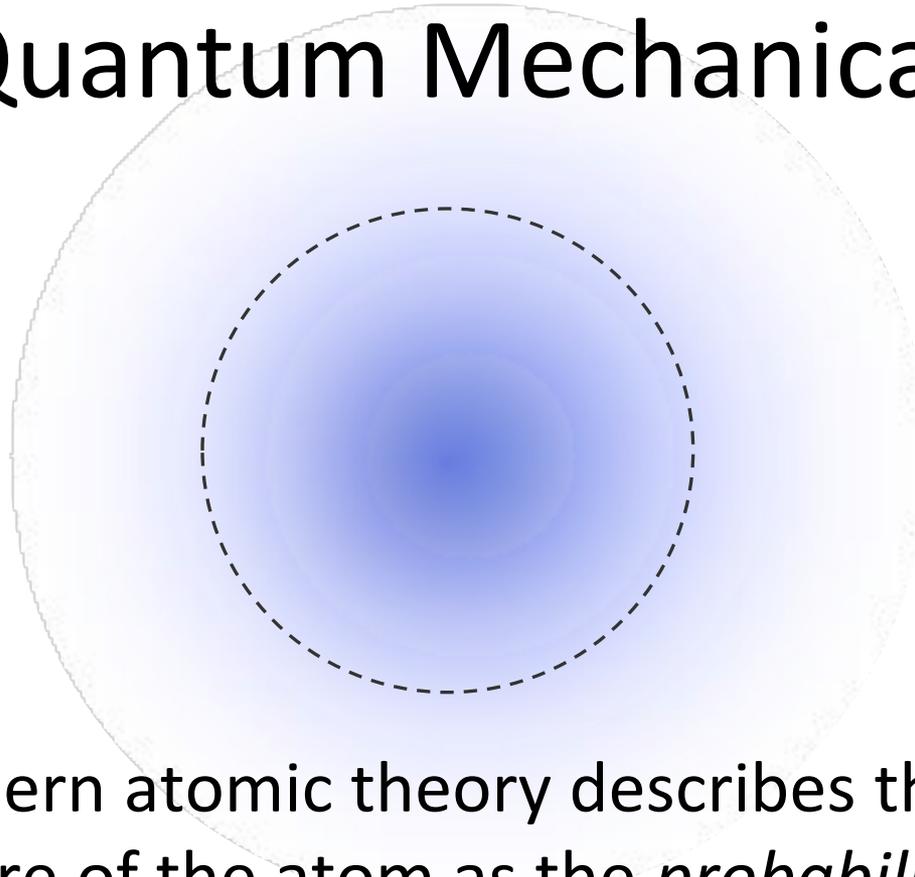
Inference

- e^- can only possess certain energies (quantized)
- Certain wavelengths of light are absorbed by atom as e^- transitions from lower to higher energy level (orbit).
- As e^- returns to lower energy level, photons of light are released.
- If energy released corresponds to a wavelength of visible light, a specific band of colour will be observed.



Niels Bohr &
Albert Einstein

Quantum Mechanical Model



Modern atomic theory describes the electronic structure of the atom as the probability of finding electrons within certain regions of space (orbitals).



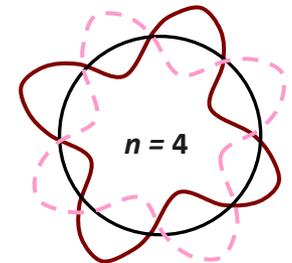
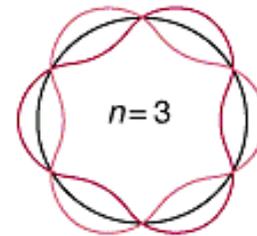
Electrons as Waves



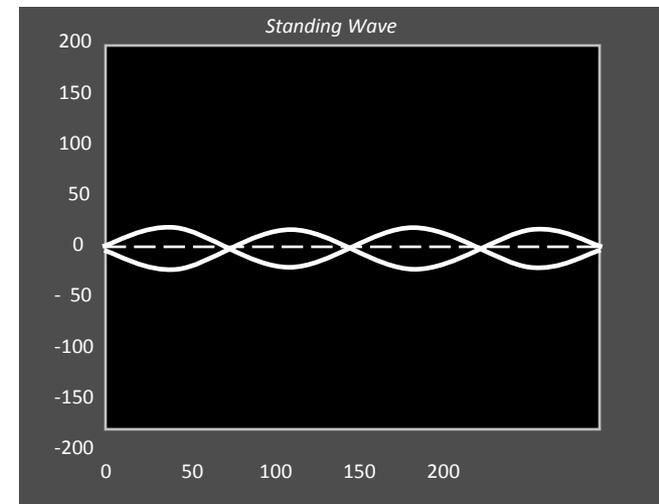
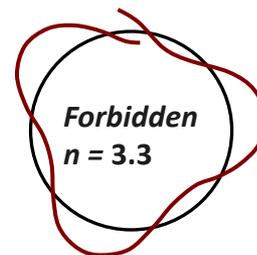
Louis de Broglie
~1924

- Energy is quantized.
photons \rightarrow discrete
packets of light
(particle-like)
($E=h\nu$ Planck)

Standing waves



- Matter has wavelike
properties.
(deBroglie)

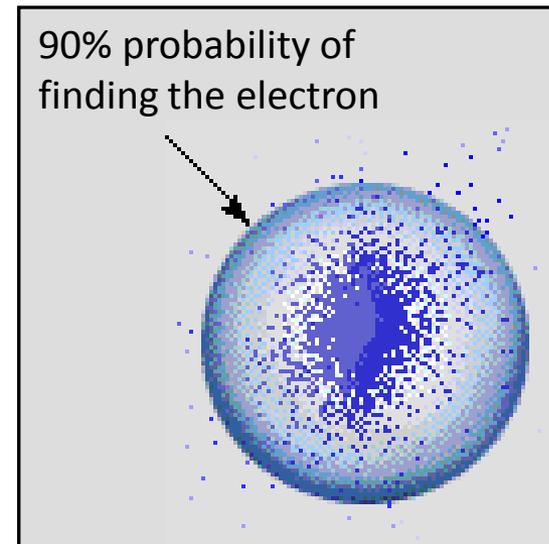


Schrodinger's Wave Equation



- Used to determine the probability of finding the electron at any given distance from the nucleus
- Orbital “electron cloud”
-region in space where the electron is likely to be found

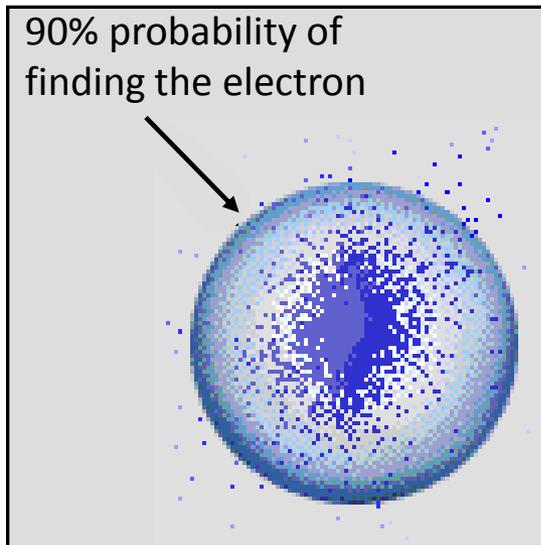
$$\Psi_{1s} = \frac{1}{\sqrt{\pi}} \left(\frac{Z}{a_0} \right)^{3/2} e^{-\sigma}$$



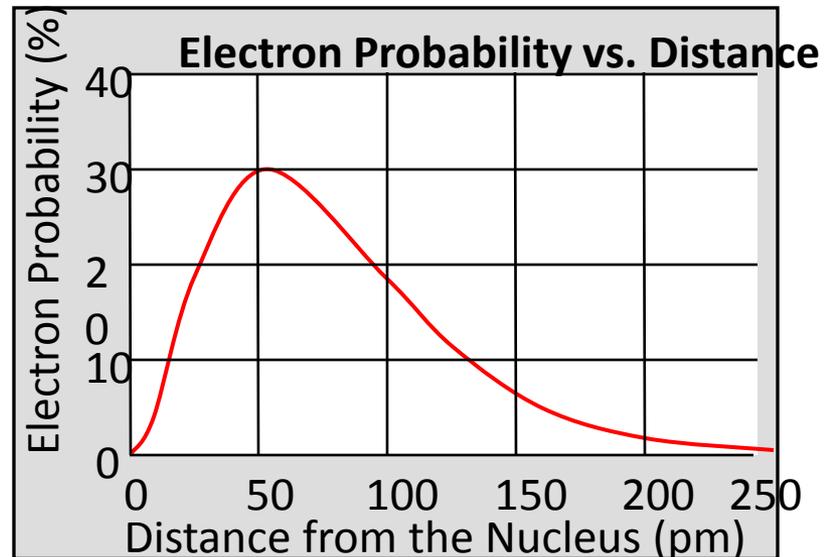
Orbital

Quantum Mechanics

- **Orbital** (“electron cloud”)
 - Region in space where there is 90% probability of finding an electron



Orbital



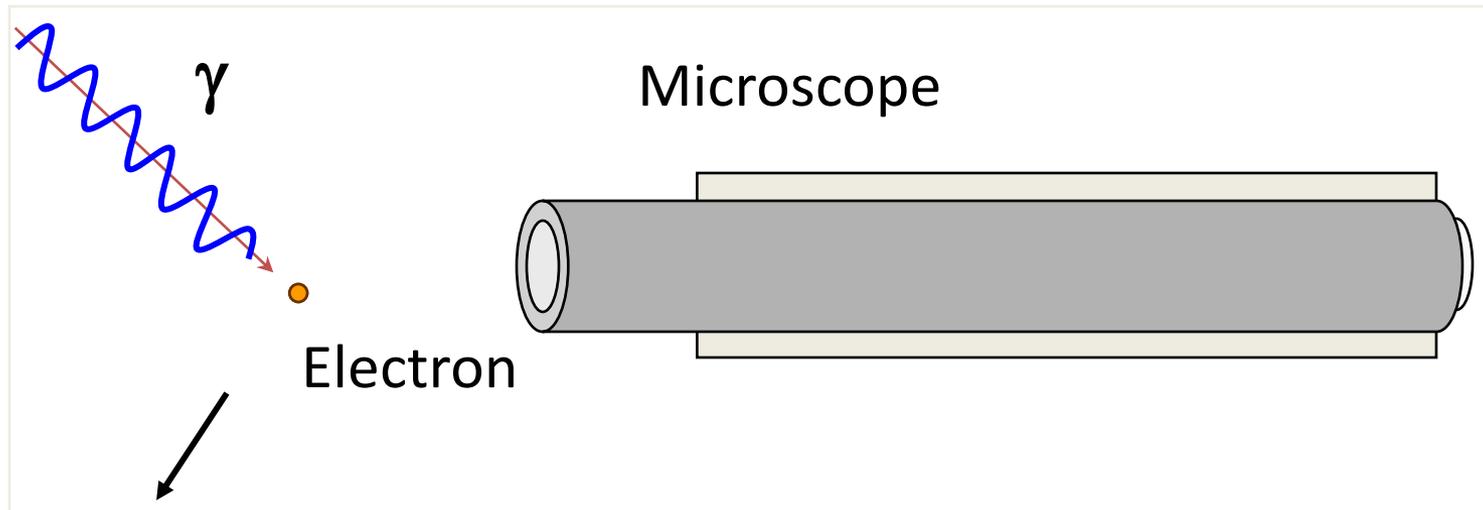
p. 200 Crazy Enough?



Werner Heisenberg
~1926

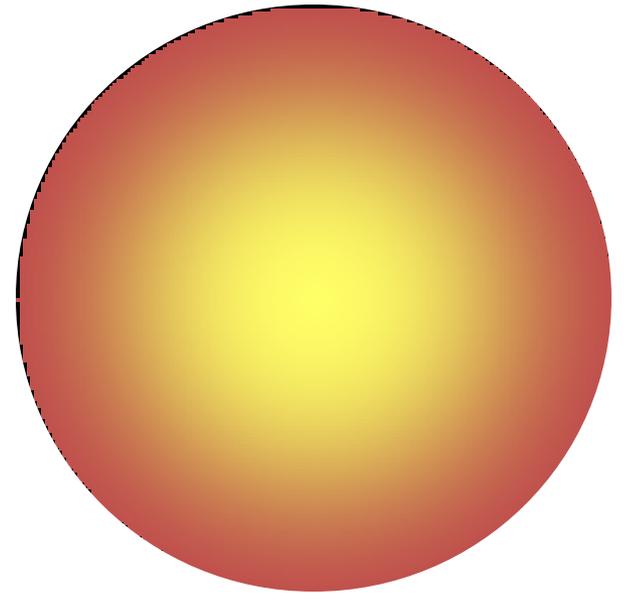
- Heisenberg Uncertainty Principle

- Impossible to know both the *velocity* and *position* of an electron at the same time

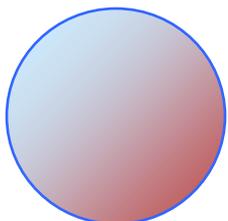


Modern View

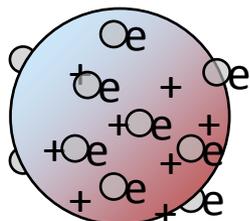
- The atom is mostly empty space
- Two regions
 - Nucleus
 - protons and neutrons
 - Electron cloud
 - region where you might find an electron



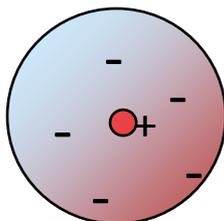
Models of the Atom



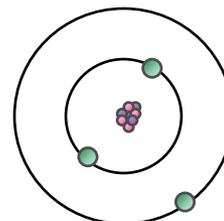
**Greek model
(400 B.C.)**



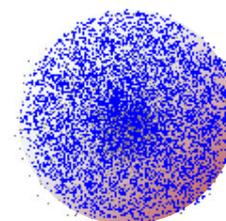
**Thomson's plum-pudding
model (1897)**



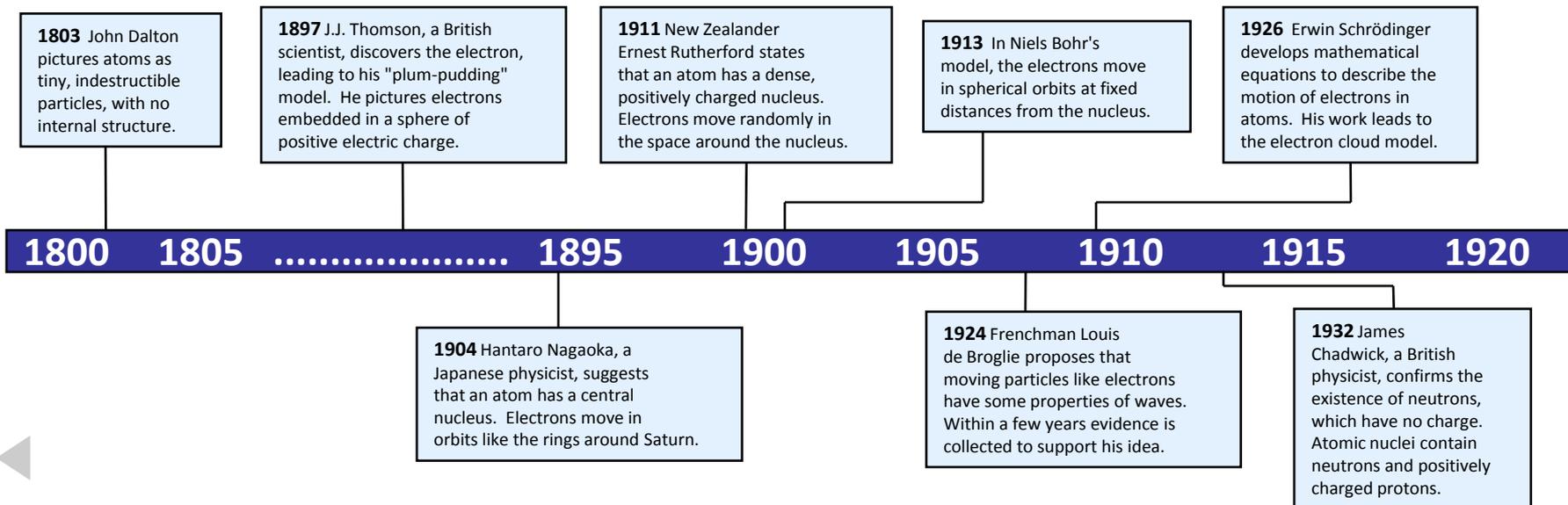
**Rutherford's model
(1909)**



**Bohr's model
(1913)**



**Charge-cloud model
(present)**

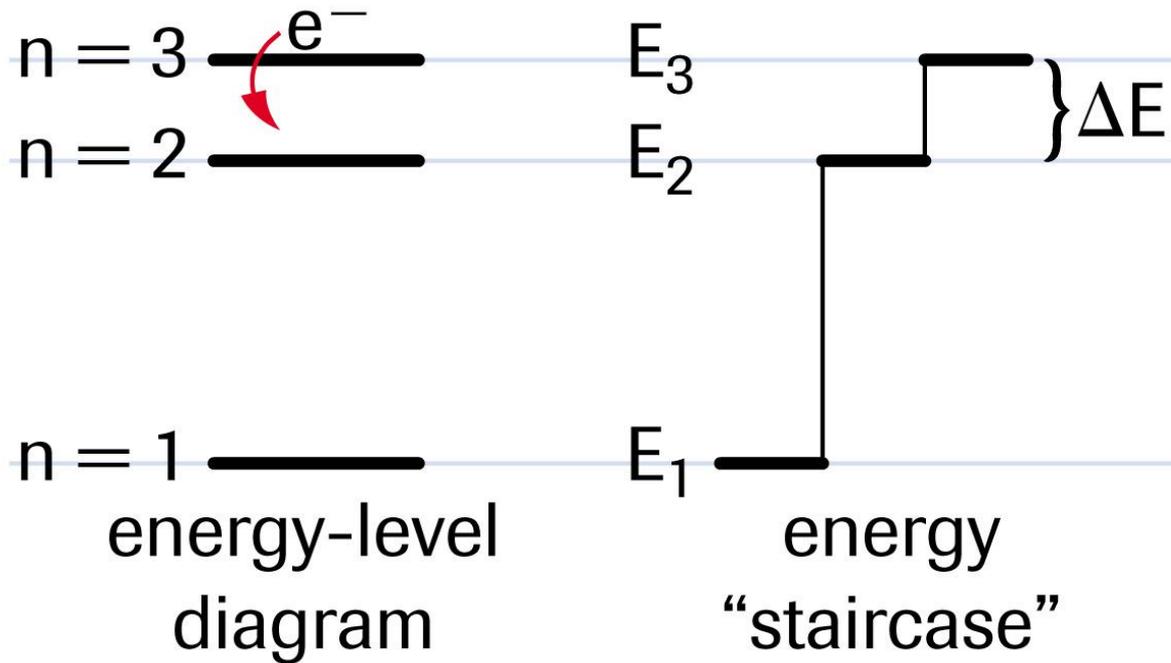


Homework

1. Describe the current model of the atom.
2. Describe the contributions of deBroglie, Schrodinger and Heisenberg to the development of the modern view of the atom.

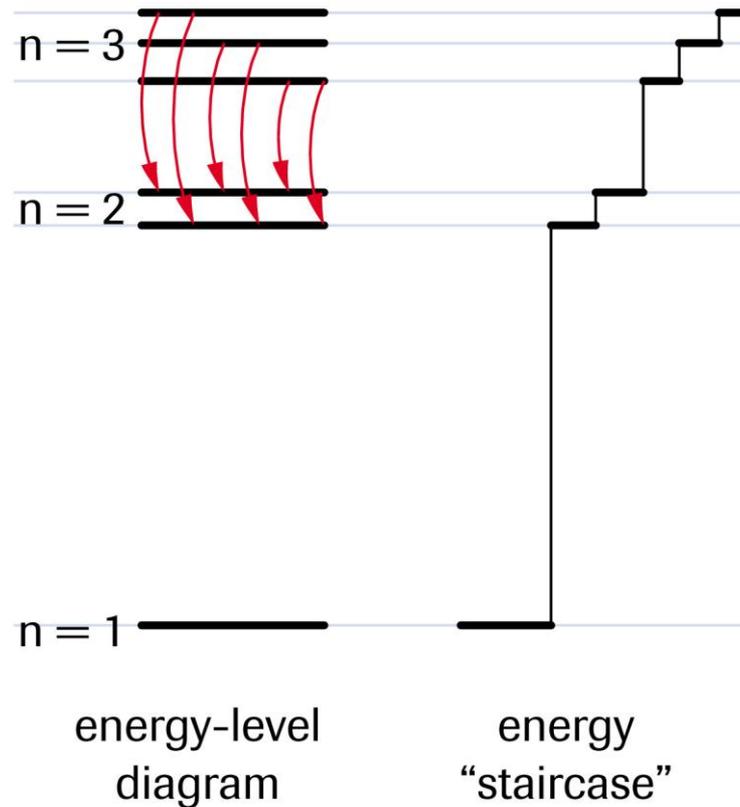
Explaining emission spectrum:

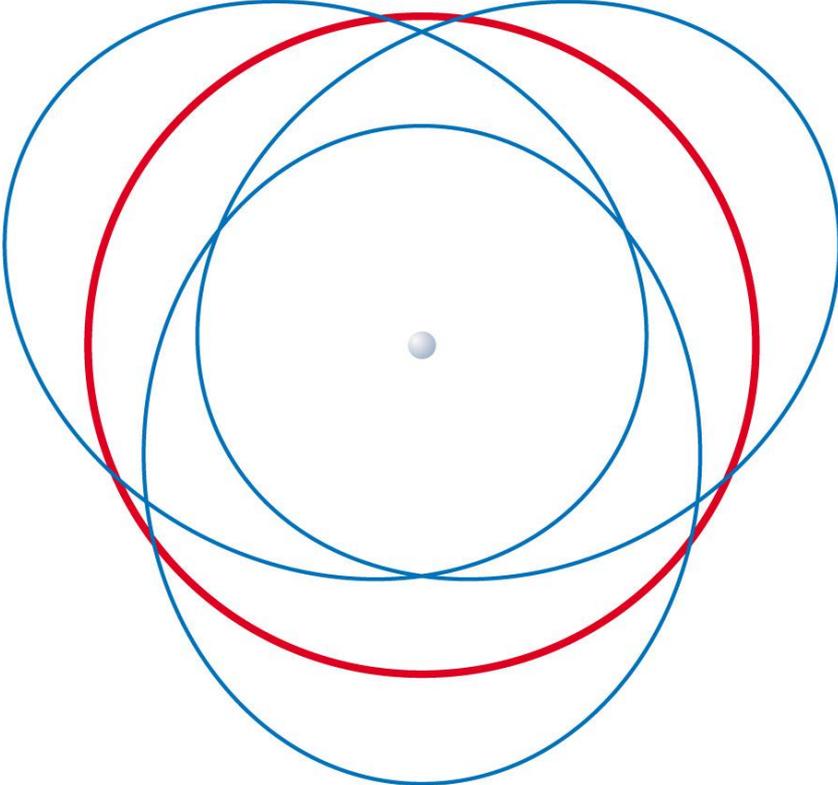
ΔE is released as a photon of light.



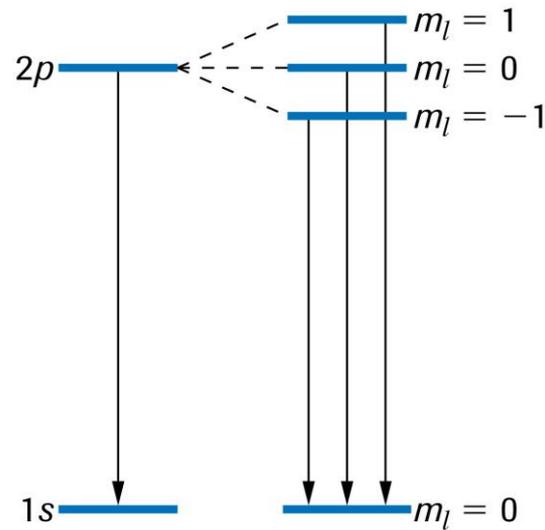
Sommerfeld (1915)

- main lines of H spectrum are actually composed of more lines
- introduced the idea of sublevels which is linked to the orbital shape





Zeeman effect - Single lines split into multiple lines in the presence of a magnetic field. Orbits can exist at various angles and their energies are different when the atom is near a strong magnet.



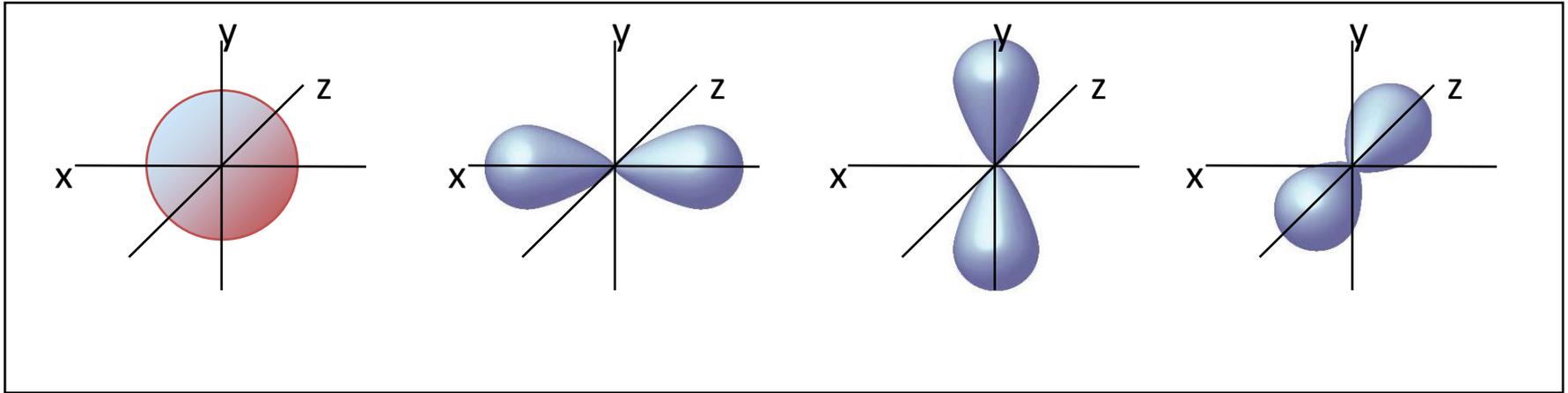
no magnetic
field



magnetic
field
present

Stern-Gerlach experiment – a beam of neutral atoms is separated into two groups by passing them through a magnetic field

Orbitals

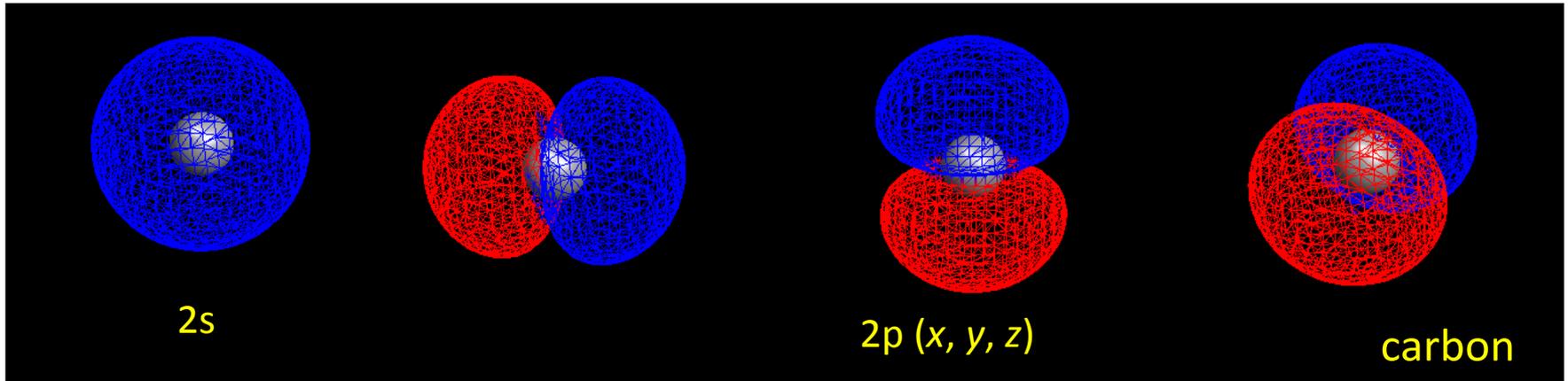


s

p_x

p_z

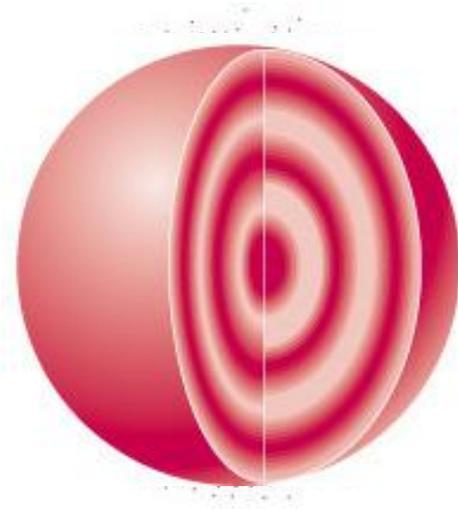
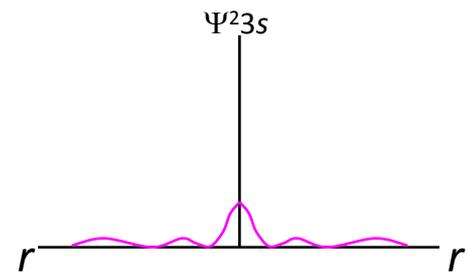
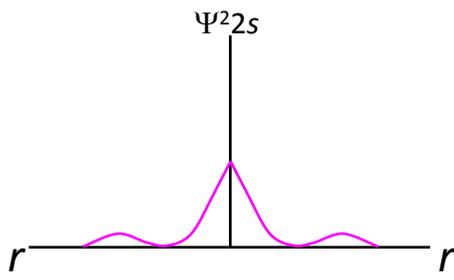
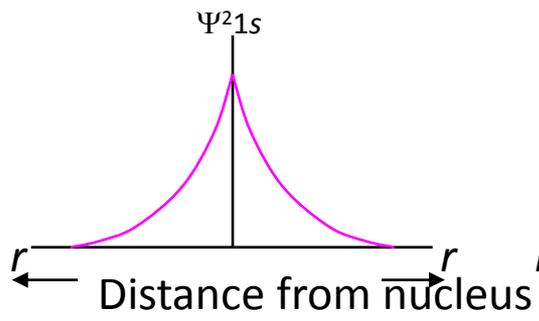
p_y



2s

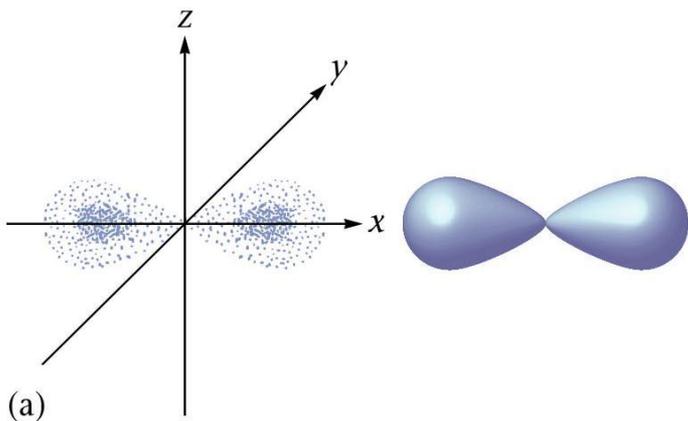
2p (x, y, z)

carbon

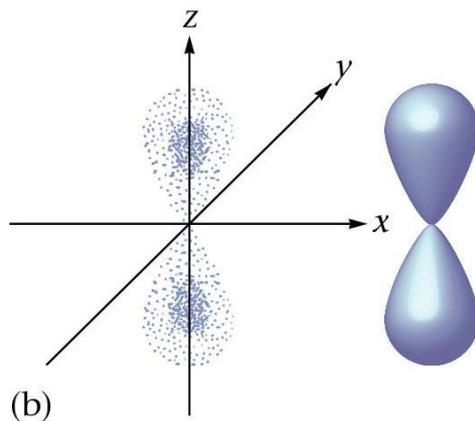


(a) 1s (b) 2s (c) 3s

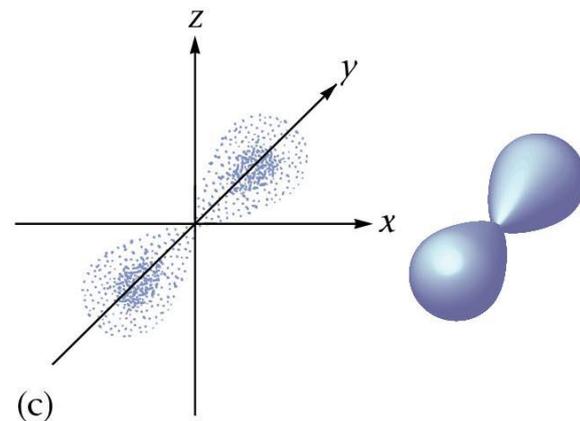
p-Orbitals



p_x

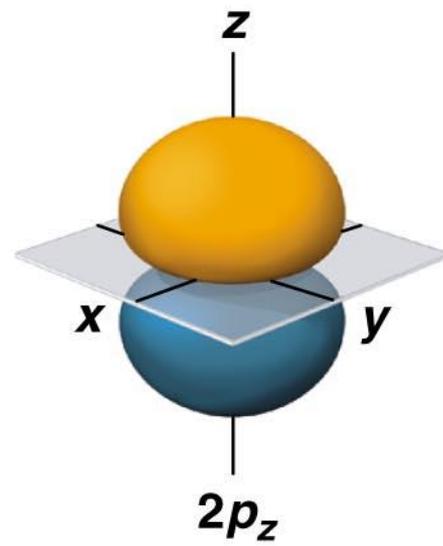
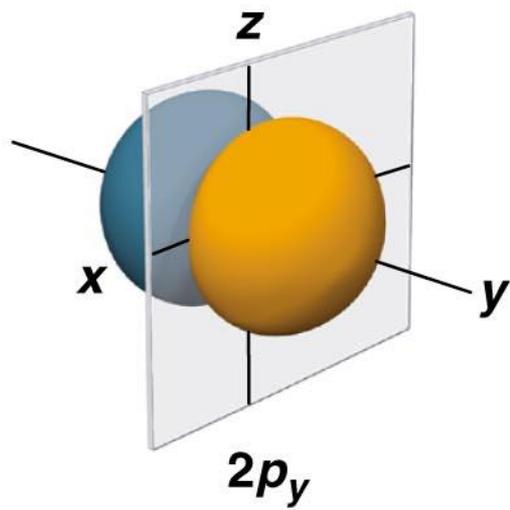
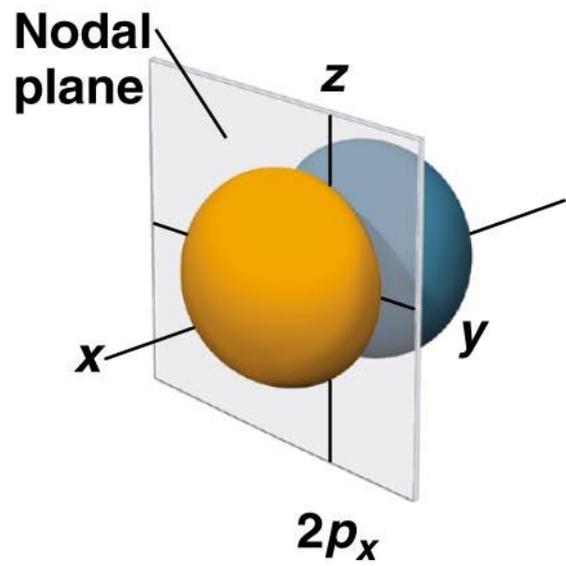


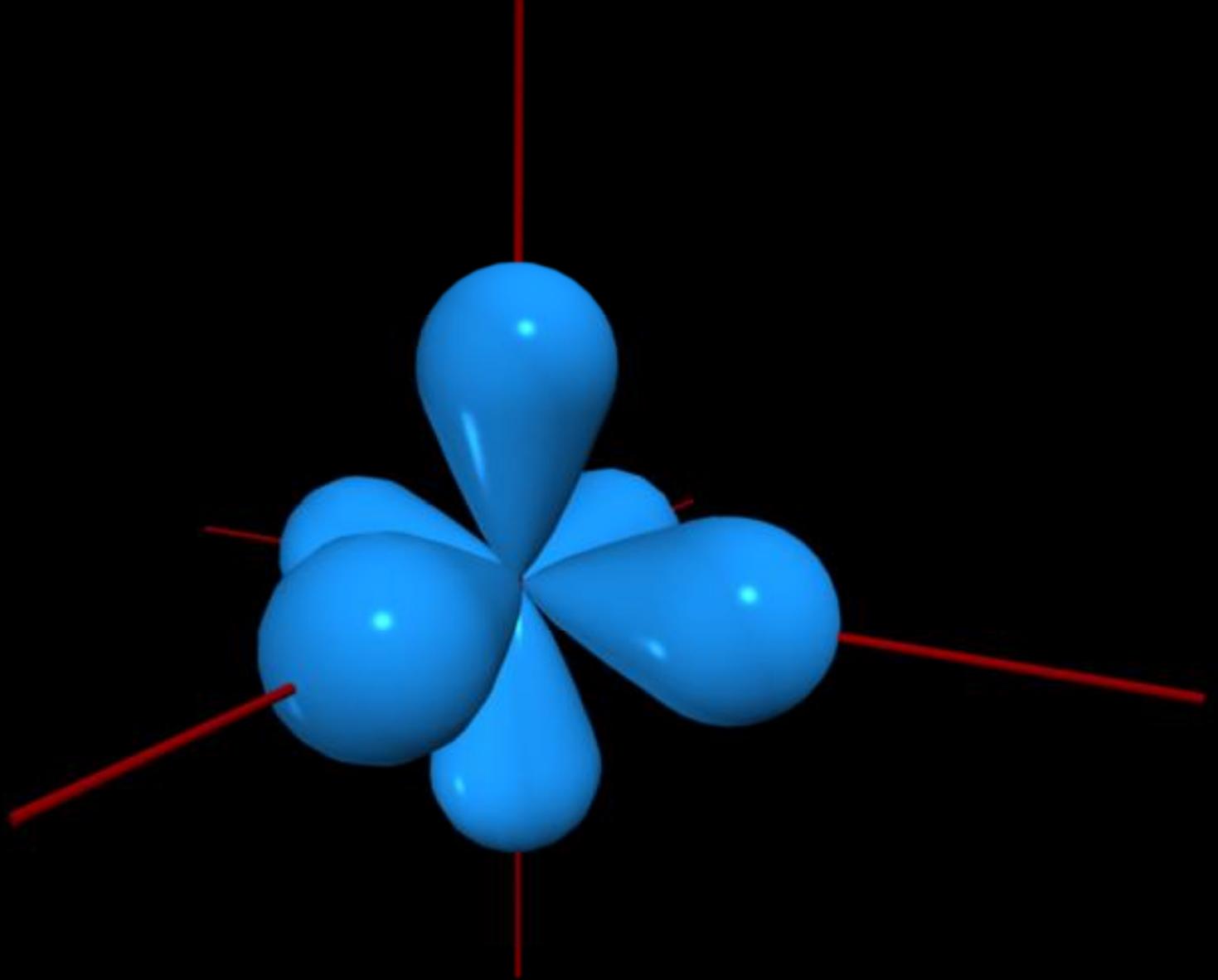
p_z



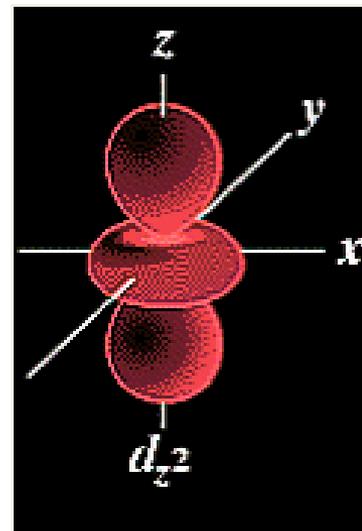
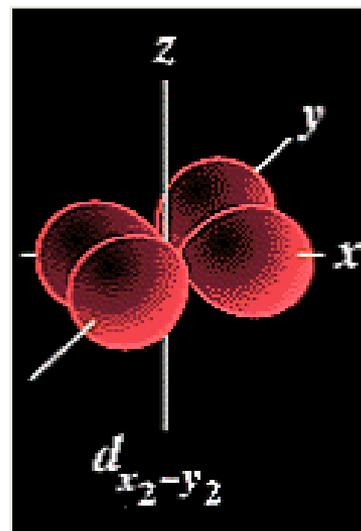
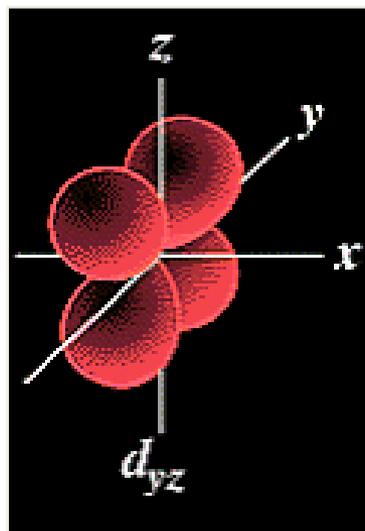
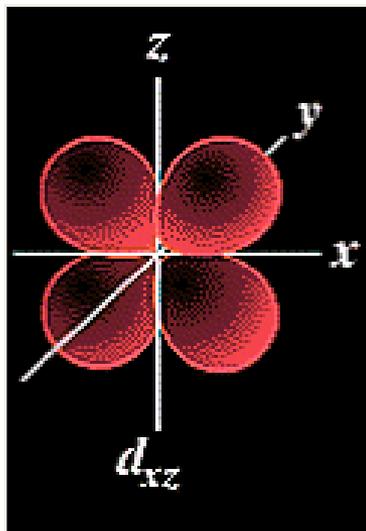
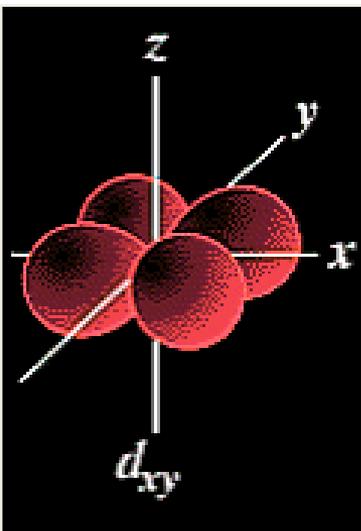
p_y







dOrbitals

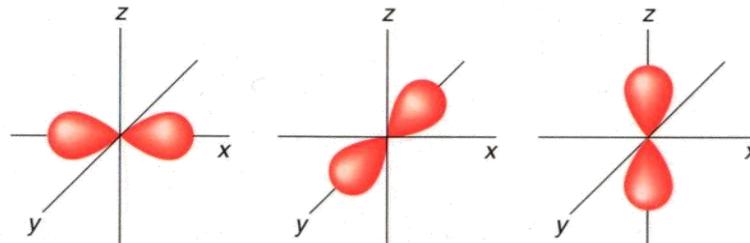


Shapes of s, p, and d-Orbitals

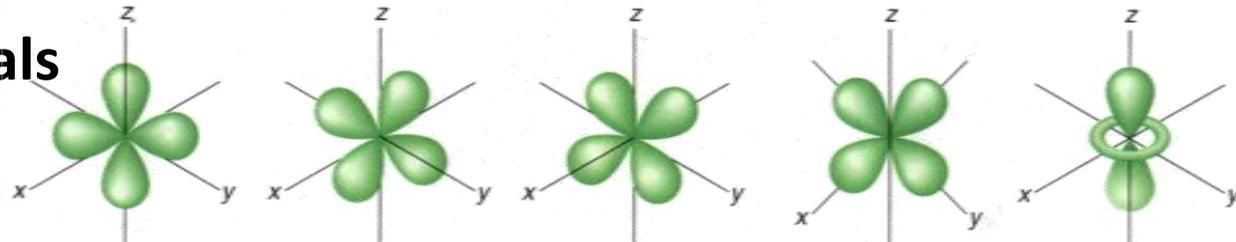
s orbital



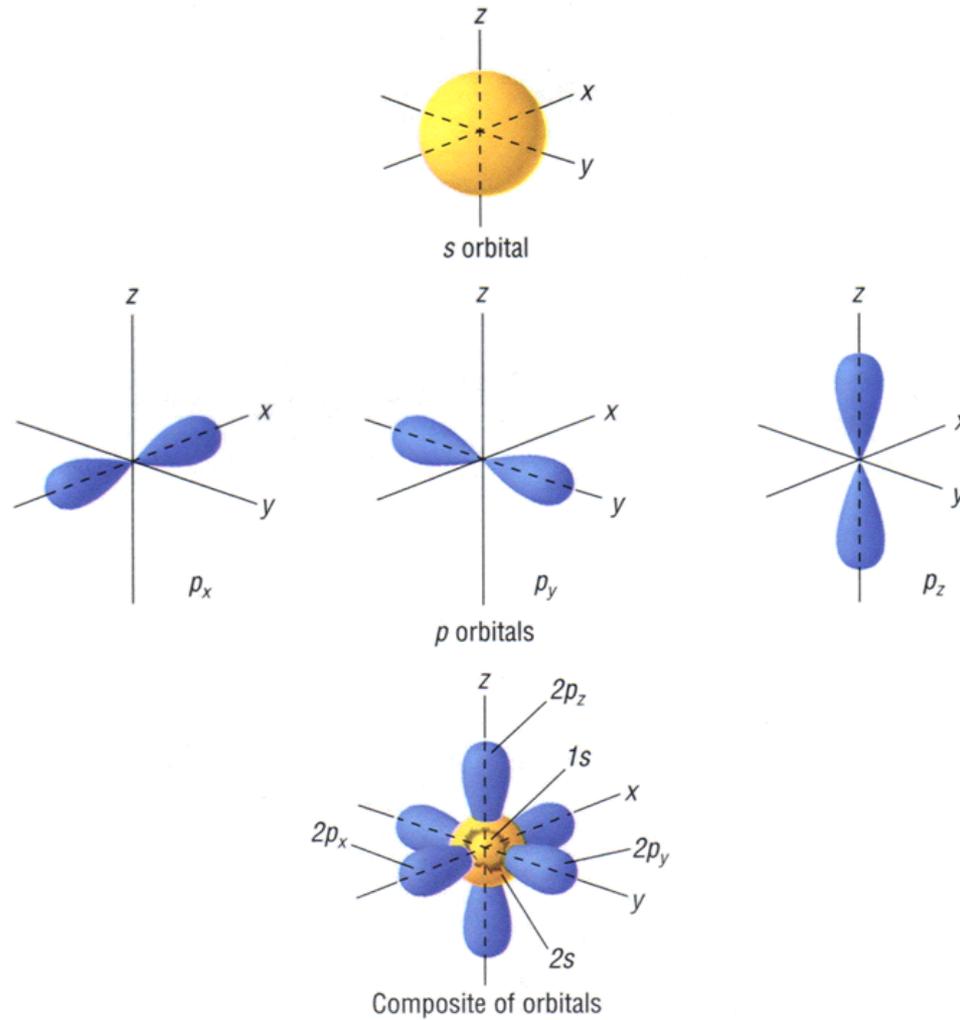
p orbitals

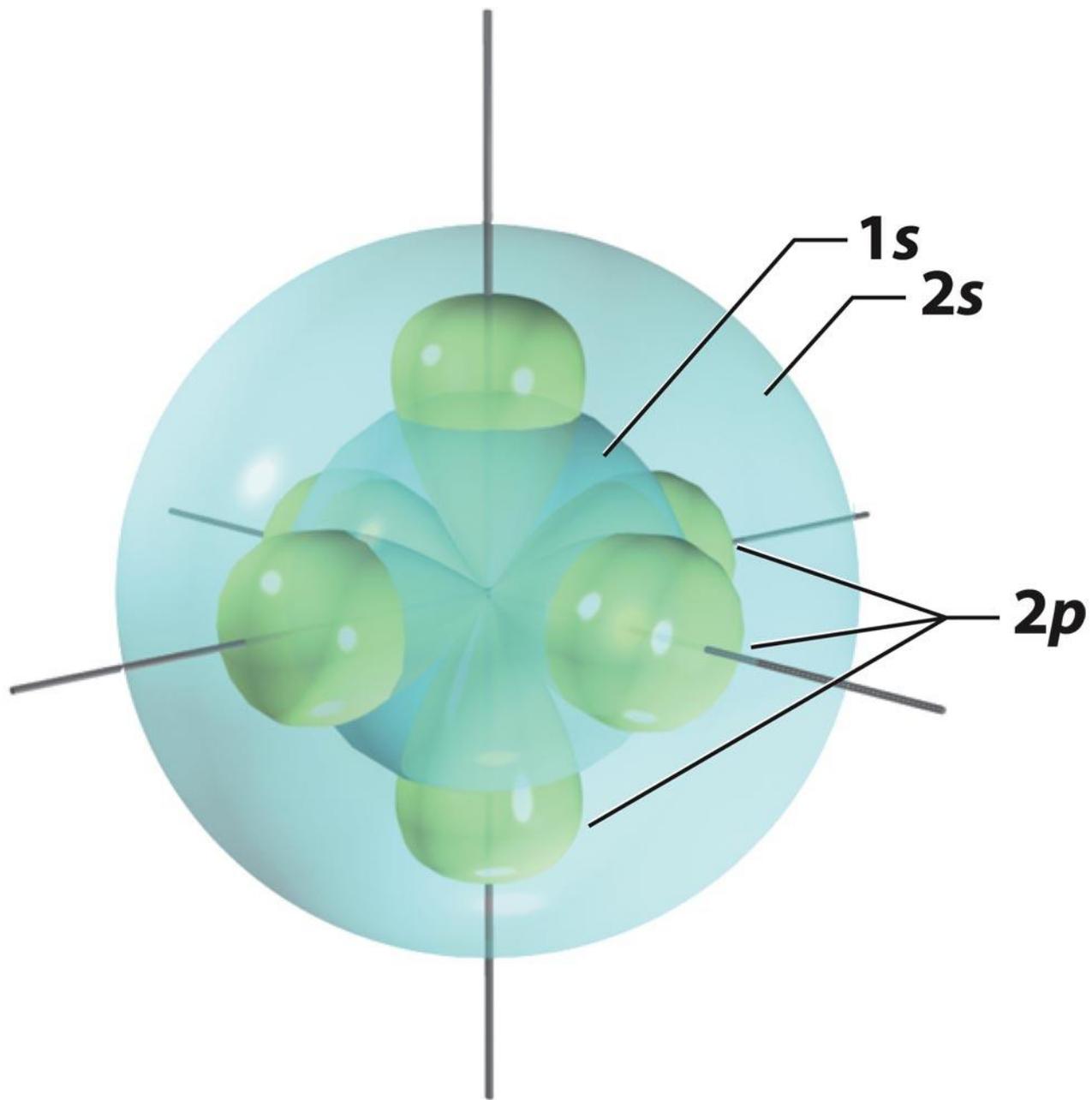


d orbitals

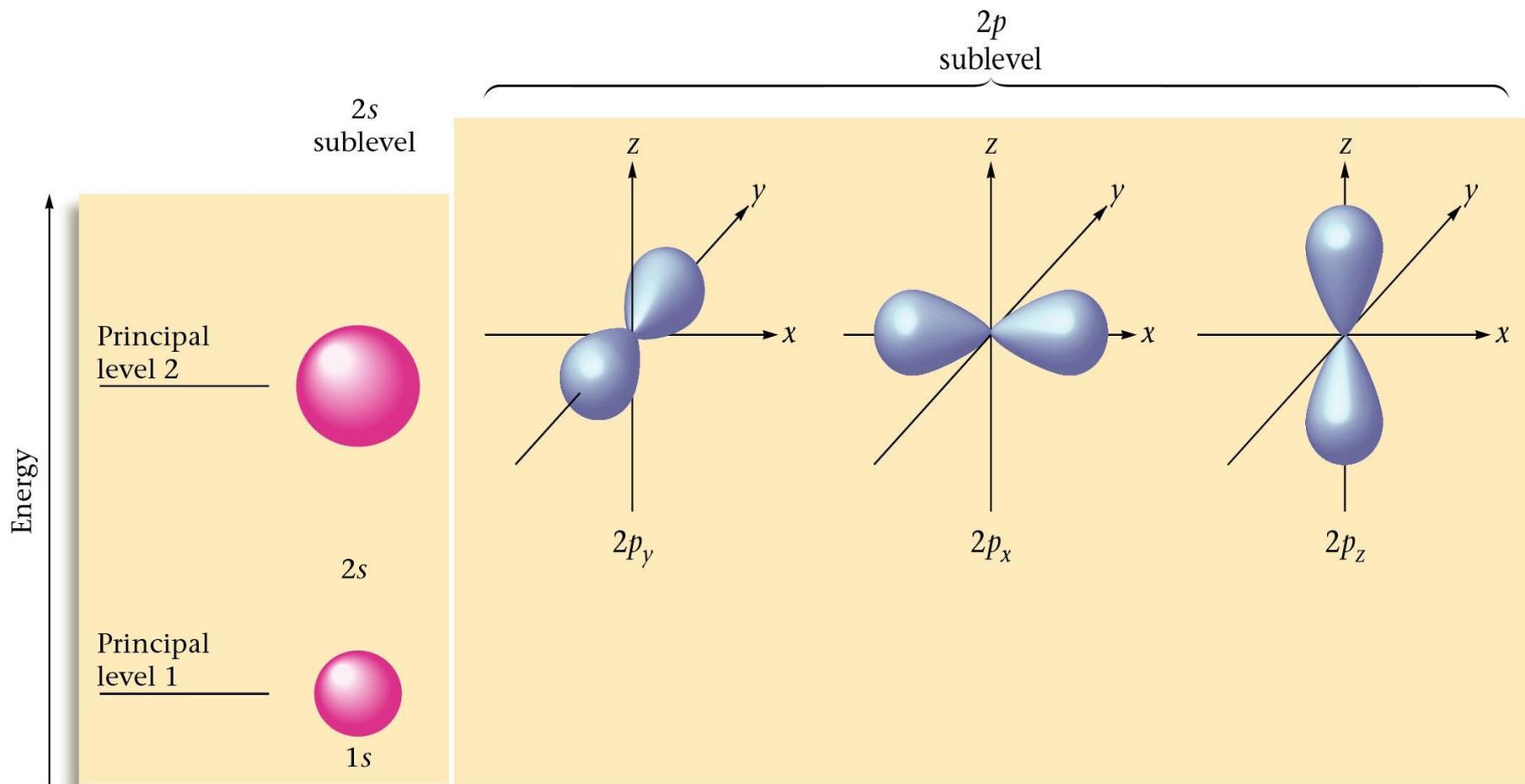


Atomic Orbitals





Principal Energy Levels 1 and 2



Homework

1. Describe the shape of s and p orbitals.
2. Define orbital.
3. How does the size of the orbital change as n increases?

Quantum Numbers

(used to represent different energy states)



Wolfgang Pauli

- **Pauli Exclusion Principle**

- No two electrons in an atom can have the same 4 quantum numbers.

- | | | |
|-------------------------|---|----------------------------------|
| 1. Principal # (n) | → | energy level |
| 2. Secondary # (l) | → | sublevel (s, p, d, f), shape |
| 3. Magnetic # (m_l) | → | tilt or orientation of orbital |
| 4. Spin # (m_s) | → | electron spin |

$l = 0$ (s)

$l = 1$ (p)

$l = 2$ (d)

$l = 3$ (f)

Quantum Numbers



$n = 1$

$l = 0$

1s

$n = 2$

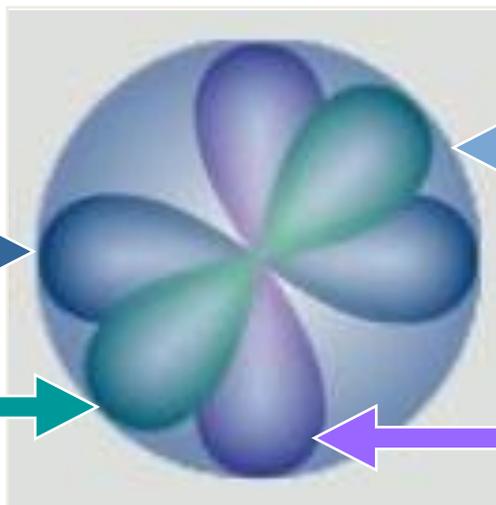
$l = 1$

$2p_x$

$2p_y$

$n = 2$

$l = 1$



$n = 2$

$l = 0$

2s

$2p_z$

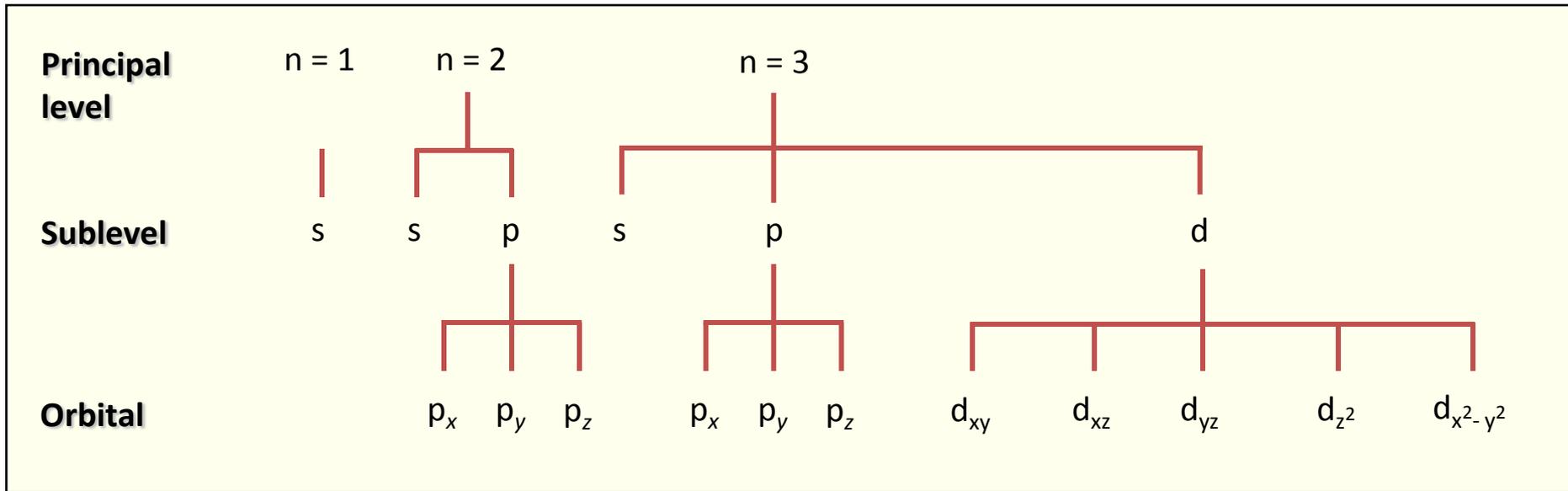
$n = 2$

$l = 1$

Quantum Numbers

n (principal quantum #) n = 1,2,3...	l (secondary quantum #) l = 0,1...n-1	m_l (magnetic quantum #) m_l = -l to +l	m_s (spin quantum #) m_s = ½, -½

Quantum Numbers



- n = # of sublevels per level
- # of orbitals per sublevel: **1** (s), **3** (p), **5** (d), **7** (f)
(think magnetic quantum #)

Maximum Capacities of Subshells and Principal Shells

n	1	2	3		4			...		n
l	0	1	0	1	2	0	1	2	3	
Subshell designation	<i>s</i>	<i>p</i>	<i>s</i>	<i>p</i>	<i>d</i>	<i>s</i>	<i>p</i>	<i>d</i>	<i>f</i>	
Orbitals in subshell	1	3	1	3	5	1	3	5	7	
Subshell capacity	2	6	2	6	10	2	6	10	14	
Principal shell capacity	2	8		18			32		... $2n^2$	

Practice

1. Decide whether each set of quantum #s is allowed.
 - a) $n = 1$ $l = 0$ $m_l = 0$ $m_s = \frac{1}{2}$
 - b) $n = 2$ $l = 1$ $m_l = -1$ $m_s = -\frac{1}{2}$
 - c) $n = 3$ $l = 3$ $m_l = 2$ $m_s = \frac{1}{2}$
 - d) $n = 0$ $l = 0$ $m_l = 0$ $m_s = \frac{1}{2}$
2. Give the complete set of quantum #s for a lone e^- in the third orbital of a 2p sublevel.

Homework

- p. 159 #1-9,11,12